

# Combining pin-point and Braun-Blanquet plant cover data

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# Hierarchical plant cover data

**Plant cover data has too many zero values and too much variance compared to a binomial distribution**

**U- shaped distributions of plant cover are typical**

**Large-scale ecological processes (among-sites):**

**environmental drivers**

**extinction / colonization of sites**

**Small-scale ecological process (within-sites):**

**size of individuals**

**density-dependent population growth**

**inter-specific competition**



# The pin-point (point-intercept) method

Method for measuring:

- i) **cover**
- ii) **vertical density**

Place a frame with a grid pattern

A pin is inserted vertically through one of the grid points into the vegetation

The pin will typically touch a number of plants and the different species are recorded (to **determine cover**)

The number of times the pin hits the same species is also recorded (to **determine vertical density**)

This procedure is repeated for each grid point



# Distribution of pin-point cover data within a site

$q$  : mean plant cover – may be regressed to environmental gradients

test hypotheses on the effect of environmental gradients on plant abundance (Damgaard 2008, Damgaard 2012)

$\delta$  : degree of spatial correlation - depends on size of individuals and spatial arrangements. This parameter may be generalized to a multispecies case and be used to test for different hypotheses on the level of the *community*

test of neutrality (Damgaard and Ejrnæs 2009)

does climate change or nitrogen deposition change the spatial structure or increase size of plants? (Damgaard et al. in press)



# Generalised binomial distribution

**$q$  : mean cover at the site**

**$\delta$  : intra-plot correlation**

$$f_Y(y; n, q, \delta) = \binom{n}{y} \frac{\varphi\left(q\left(\frac{1}{\delta} - 1\right), y\right) \varphi\left(\frac{(1-q)(1-\delta)}{\delta}, n-y\right)}{\varphi\left(\frac{1}{\delta} - 1, n\right)}$$

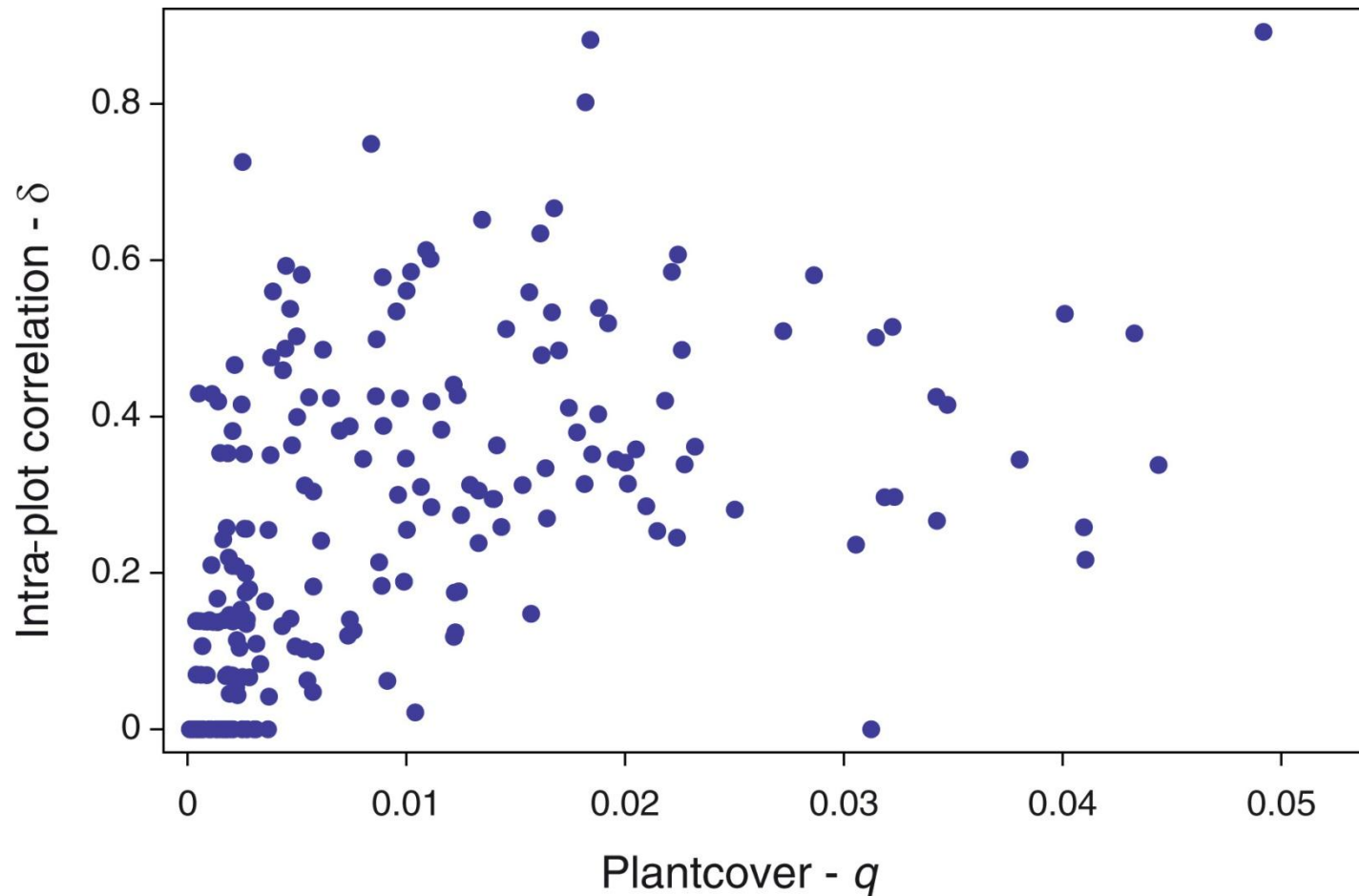
$$\varphi(x, n) = \Gamma(x+n)/\Gamma(x) = x(x+1)\dots(x+n-1)$$

$$E(Y) = n q$$

$$Var(Y) = n(1-q)q(1-\delta(1-n))$$

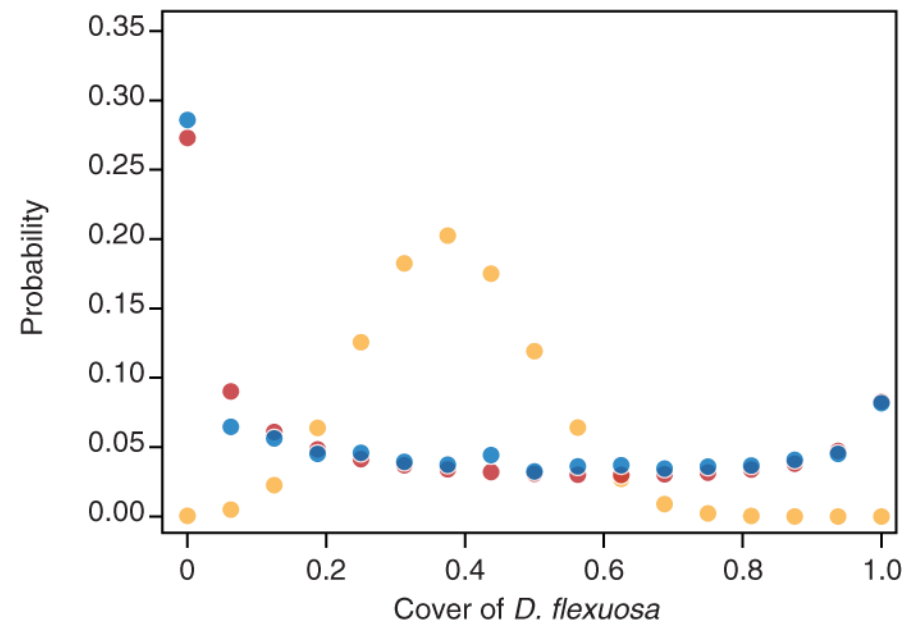
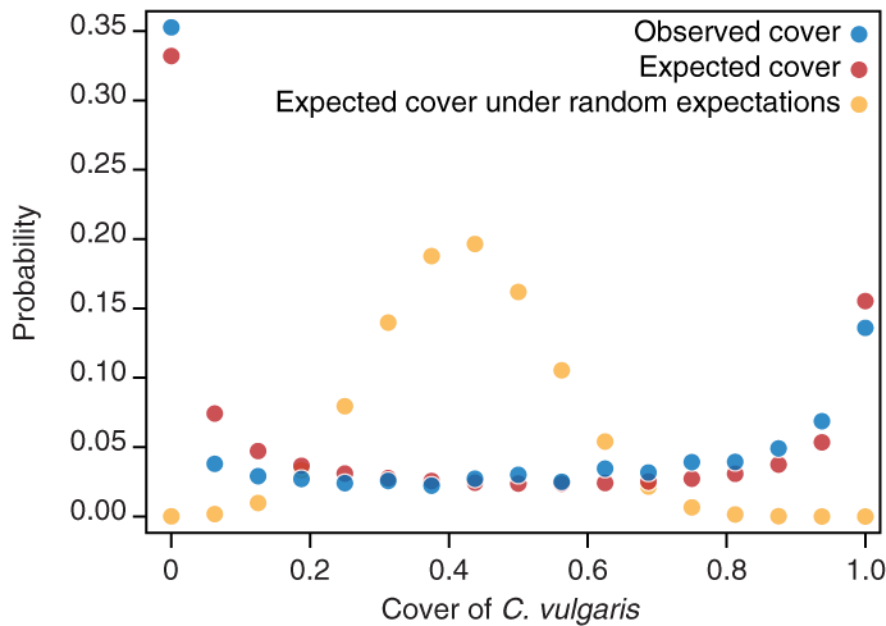


# Relationship between plant cover and intra-plot correlation in dune grasslands

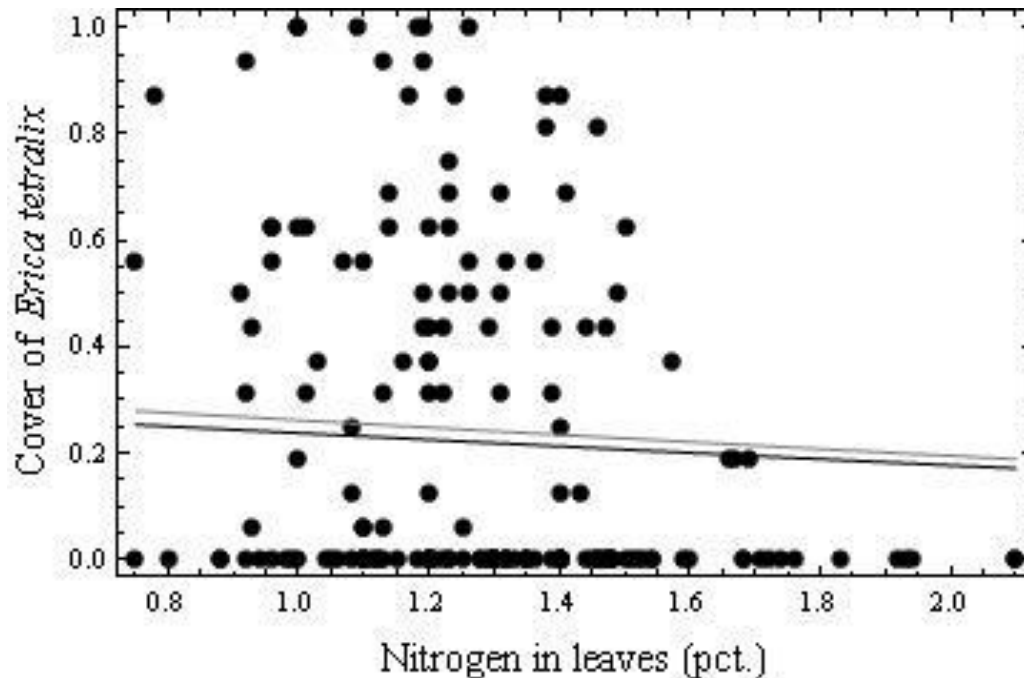


# Important to include spatial correlation

## The cover of *Calluna vulgaris* and *Deschampsia flexuosa* on dry heathlands



# Important to include spatial correlation



If  $\delta$  was set to zero (no spatial correlation) then there was a strong significant effect (grey line,  $P < 0.0001$ )

If  $\delta$  was allowed to vary then the effect was found to be insignificant (black line,  $\delta = 0.57$ ,  $P = 0.19$ )

# Braun-Blanquet cover data

A system for classifying visually estimated plant cover data

Braun-Blanquet class	Plant cover
1	$x \leq 0.05$
2	$0.05 < x \leq 0.25$
3	$0.25 < x \leq 0.50$
4	$0.50 < x \leq 0.75$
5	$0.75 < x \leq 1$



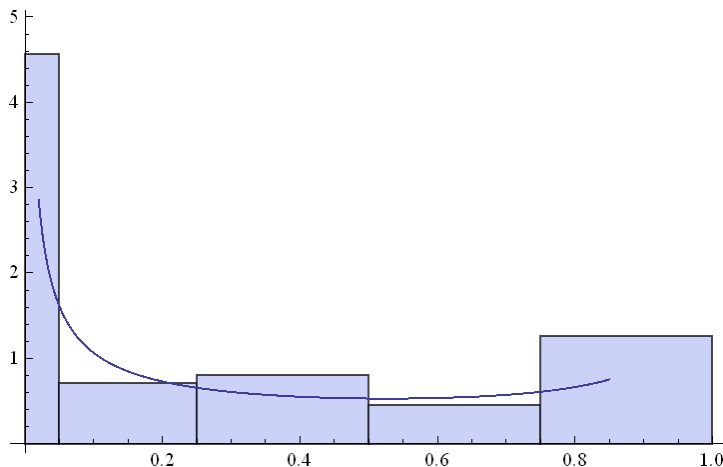
# Piecewise beta distribution

$\mu$  : mean cover at the site

$\nu$  : intra-plot correlation

$$f_C(c, d; \mu, \nu) = \begin{cases} B(d_1, \mu \nu, (1-\mu)\nu) / d_1 & c \leq d_1 \\ (B(d_2, \mu \nu, (1-\mu)\nu) - B(d_1, \mu \nu, (1-\mu)\nu)) / (d_2 - d_1) & d_1 < c \leq d_2 \\ \dots & d_m < c \leq d_n \end{cases}$$

Braun-Blanquet:  $d = \{0.05, 0.25, 0.5, 0.75, 1\}$



Data =

{1,2,3,4,3,2,3,5,5,1,2,1,1,3,2,4,5,5,  
5,4,3,2,1,1,3,5,4,5,3,5,5,1,1,5,5}

$$\hat{\mu} = 0.45, \hat{\nu} = 0.78$$



# Conclusions

**It is possible to analyse pin-point cover data and Braun-Blanquet cover data in the same framework while accounting for the spatial variation**

$$\mu_{\text{(Braun-Blanquet)}} \sim q_{\text{(pin-point)}}$$

**Erroneous conclusions if the spatial variation is ignored**

**Framework for analysing trends of plant cover data has been developed**

**Bayesian state-space model**

**Separation of process and sampling error**

**Missing values**

**Effect of treatment or co-variable on change in cover**

***Ecology* – preprint**

