Modeling reaction of non-sorted circles to changes in climate and vegetation cover D. J Nicolsky¹, V. E. Romanovsky¹, G. S. Tipenko¹, D. A. Walker², R. Daanen¹, P.P. Overduin³



Abstract

We examine sensitivity of a general model of the frost boil dynamics with respect to changes in thermal, rheological and hydraulic properties of the ground material and boundary conditions. We apply the model to non-sorted circles along the low Arctic Climate gradient and investigate the seasonal dynamics of them. This investigation allows evaluation/detemination of physical mechanisms and driving forces that play the most decisive role in creating the differential frost heave in the non-sorted circles. Using this model we explore interactions between vegetation cover and thermo-mechanical processes. As the conclusion, we investigate the reaction of the non-sorted circles at several sites along the Dalton highway in the Arctic tundra in Alaska to changes in climate, in the active layer depth and in vegetation cover.



ost boil: "a patterned ground form that circular outline which lacks a border of stones..." var Everdingen 1998





circular patterned ground features without a border of stones, usually with barren or sparsely vegetated central area 0.5 to 3.0 m in diameter

Non-sorted circles are defined a

[h]-A horizon enriched with organic [m]-A horizon slightly altered by hydrolysis, oxidation, or solution, or all three to give a change in color or

structure, or both. [y]-A horizon affected by cryoturbation as manifested by disrupted and broken horizons. incorporation of materials from other horizons, and mechanical sorting in at least half of the cross section of

[z]-A frozen layer.



Computational geometry, boundary and initial conditions



A fictitious domain is separated from a real one (soil) by a red line which plays a role of the ground surface. are points at which temperature and moisture are compared with

experimental data. The soil consists of three parts, namely, 1,2,3 which have common and distinctive properties

and distinctive properties.			
$R_{1f} = 0.8$	$\lambda_{1t} = 0.4$	$E_1 = 2 \cdot 10^6$	$a_1 = 2 \cdot 10^{-5}$
$R_{2f} = 1.45$	$\lambda_{2t} = 1.1$	$E_2 = 2 \cdot 10^6$	$a_2 = 2 \cdot 10^{-4}$
$l_{3f} = 1.45$	$\lambda_{3t} = 1.1$	$E_3 = 20 \cdot 10^6$	$a_3 = 2 \cdot 10^{-4}$
Heat conduction coefficient		Young modulus	"Cryogenic Suction"

Measured and calculated temperature and water content at some points (*)



• Phase change occurs around –0.05 C.

Pore pressure correlates with temperature, and shows sinks and sources of water.



Temperature

-0.4



0 0.5 0 0.5 1 0.5 Distance from the center Distance from the center Distance from the center

0.5 1 0 0.5 Distance from the center

Temperature, pore pressure and porosity (from the left to the right) distribution at the same moment of time in the entire computational domain, the ground is below the white line.

Pressure

Ideal fluid



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Area of study







The mode

Mass conservation law for the water and mineral skeleton components $\frac{\partial n}{\partial n} - \nabla \cdot \left((1 - n) \frac{\partial U}{\partial n} \right) = 0 \qquad \theta_{in} + \theta_{i} = n$ $\theta_{\rm o}, \theta_{\rm c}$ – volumetric fraction of water and ice n - porosityEnergy conservation principle for a multi-component system $T \ge T_0$ $C\frac{\partial T}{\partial t} - \rho_i L\frac{\partial \theta_i}{\partial t} - \rho_i L\nabla \cdot (\theta_i \frac{\partial U}{\partial t}) = \nabla \cdot (k\nabla T) \qquad \theta_w = 0$ $\left(\underline{T_0-T}\right)$ $T < T_0$ where the unfrozen water content θ_{in} is a function of temperature and porosity Liquid moisture conservation principle, derived from the generalized Darcy's law $-(1-\delta)\frac{\partial\theta_i}{\partial t} - \nabla \cdot \left(((1-\delta)\theta_i - 1)\frac{\partial U}{\partial t} \right) = \nabla \cdot \left(k_f \left| \nabla \left(P + \rho_w \theta_w \frac{LT}{T_*} \frac{\partial f}{\partial \theta_w} \right) + \rho_w \frac{LT}{T_*} \nabla f \right| \right), \quad \delta = \frac{\rho_i}{\rho_w}$ Linear elasticity model is adopted for the soil

• If the system is open then water migrates from the outer boundary through an unfrozen region to the so-called "frozen fringe", where the cryogenic suction makes the majority of liquid water migrate upwards. If the system is closed then water merely redistributes. Increase in porosity in a frozen region is associated with ice lens formation. Just the volumetric expansion of water due to the phase change cannot explain an observed frost heave. Cryogenic suction plays an important role.



0 0.5 1 Distance from the center Distance from the center







The value of maximal frost heave non-linearly depends on the radius of the frost boil.

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Field measurements along Artic climate gradient

Franklin Bluffs

Josty





Water availability and its effect on non-sorted circle system

Higher values of the hydraulic permeability implies higher liquid water fluxes in the unfrozen region and more available water to form ice in the partially frozen area.

The value of the maximal frost heave does not depend on the surface temperature explicitly, but rather on the difference between $T_{interboil}$ and $T_{frost \ boil}$.

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